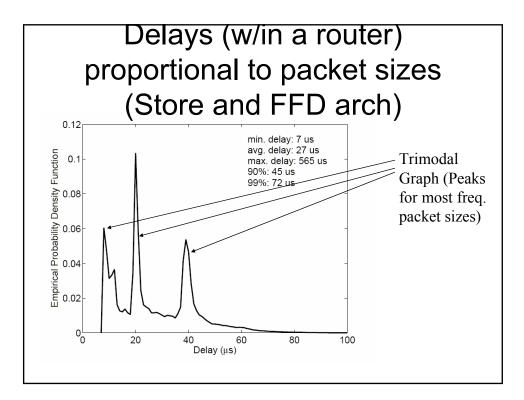
Delay and Loss Modeling in Internet

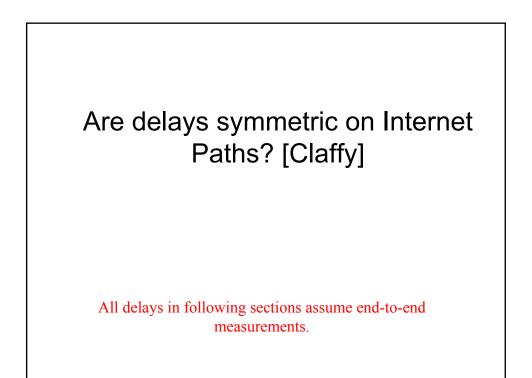
By

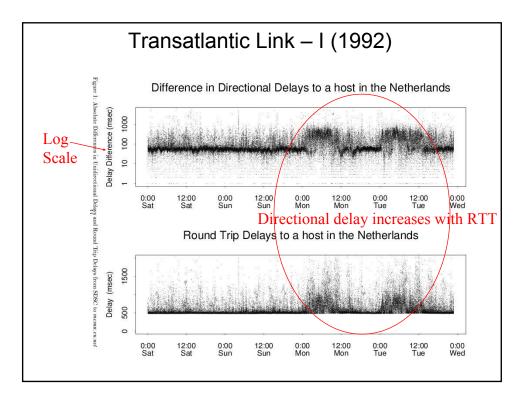
Sanjeev Dwivedi CS8803-Network Measurement

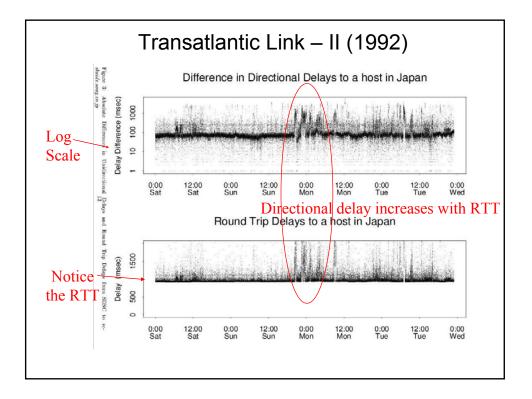
### What causes Delays & Losses? [MoonJSAC03]

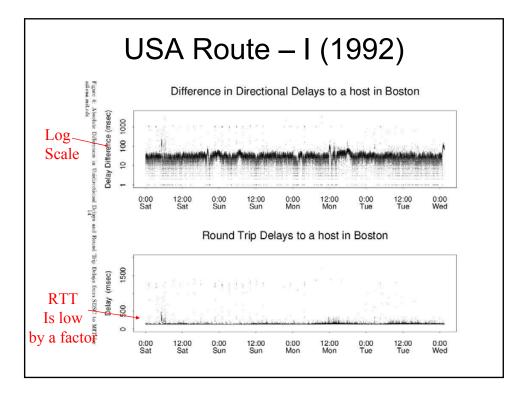
- Bugs in router implementations.
- Speed of EM waves in media.
- CPU Power (e.g. routing updates).
- Packets on the slow path.
- Congestion (Queuing).
- Packet sizes.
- Noisy channels.
- Route flapping.

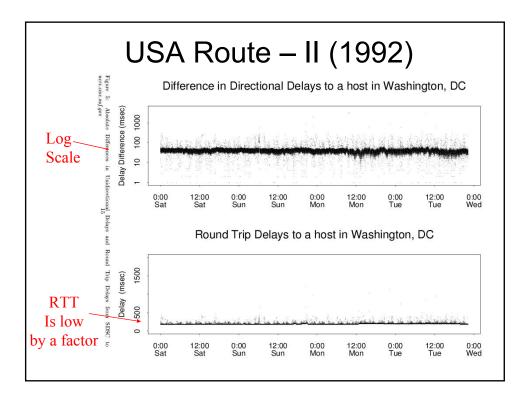


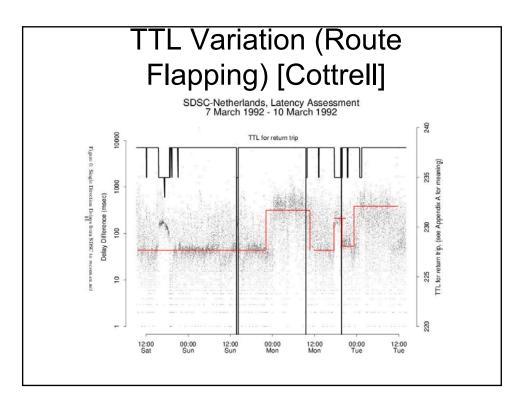


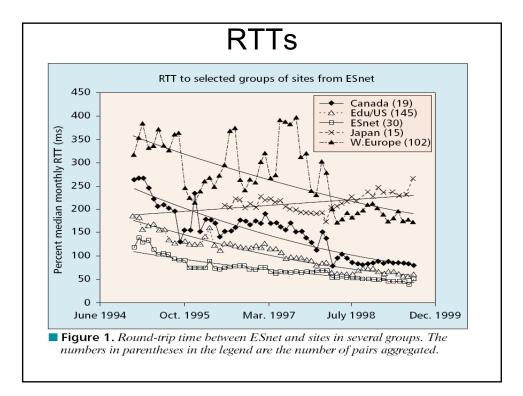


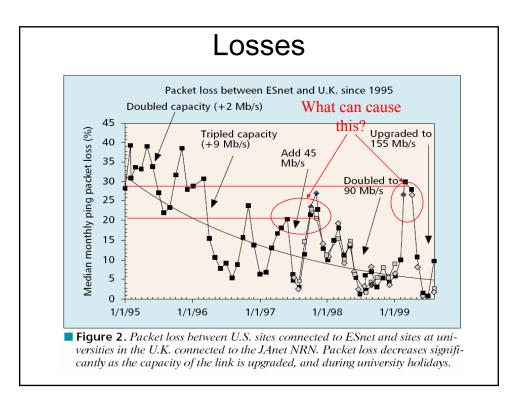


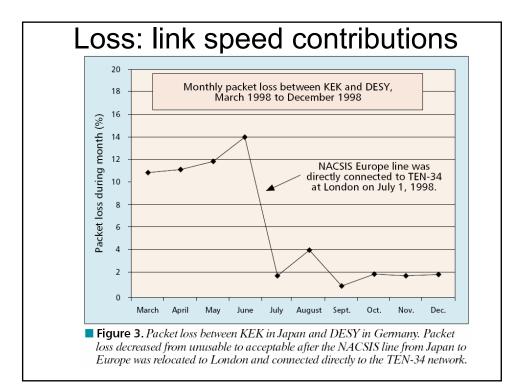


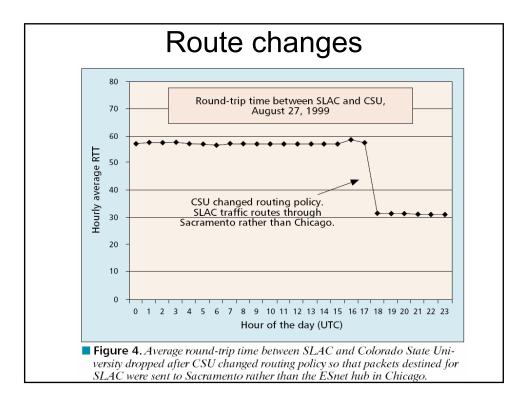


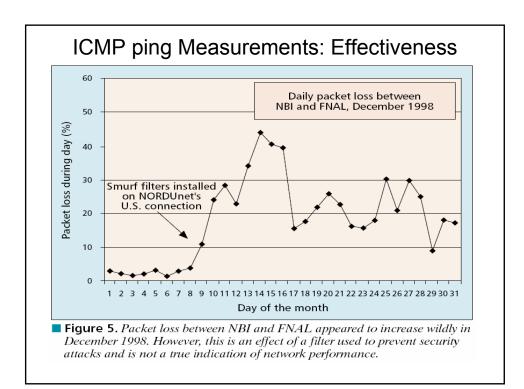


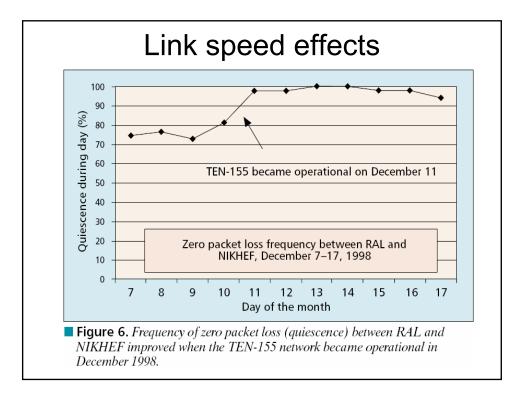


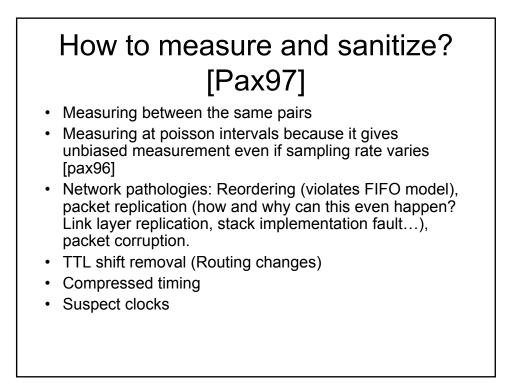






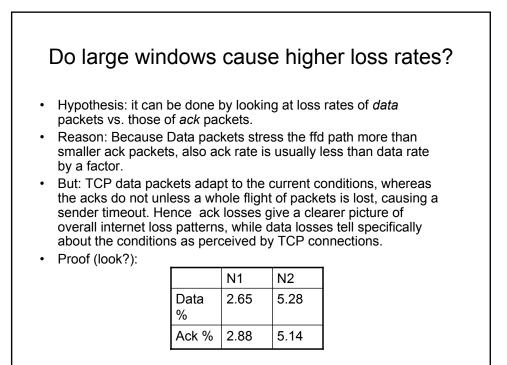






### Some stats

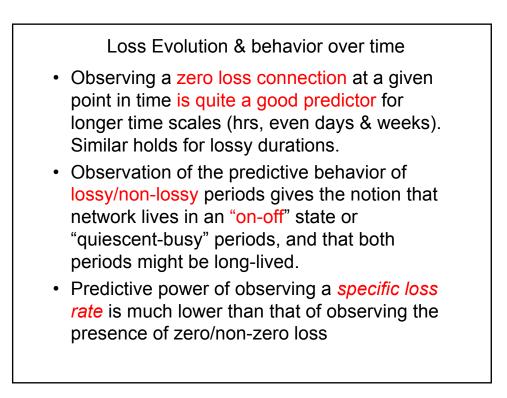
	N1 (1994)	N2 (1995)
Reorder (%)	36	12
Reorder (data pkt) %	2	0.3
Reorder (Ack pkt) %	0.6	0.1
Packet replication (count)	1	65
Packet corruption %	0.02	0.02



### **Geographical Effects**

Region	Quies <sub>1</sub>	Quies <sub>2</sub>	Busy <sub>1</sub>	Busy <sub>2</sub>	$\Delta$
Europe	48%	58%	5.3%	5.9%	+11%
U.S.	66%	69%	3.6%	4.4%	+21%
Into Europe	40%	31%	9.8%	16.9%	+73%
Into U.S.	35%	52%	4.9%	6.0%	+22%
All regions	53%	52%	5.6%	8.7%	+54%

Except for the links going into US (check what this means: Probably the Into Europe thing because the delta is 73%) the proportion of quiescent connections is fairly stable. Hence loss rates increases are primarily due to higher loss rates during the already-loaded "busy" periods.

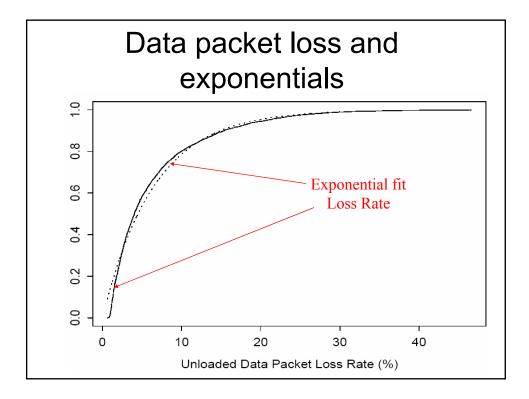


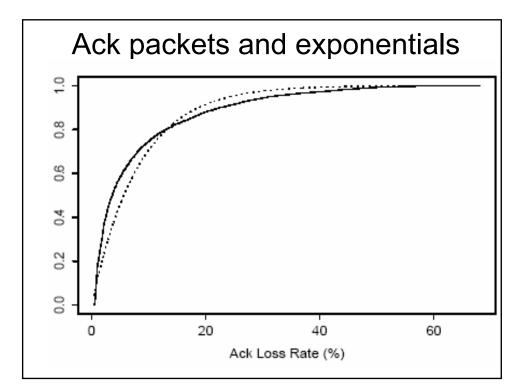
### Losing data packets and acks

Loaded	Unloade	Acks
47%	<b>6</b> 5%	68%

For all of these extremes (the above stats are for different connections, worst case scenario in each category), *no* packet was lost in the reverse direction (TCP Good)! Clearly, packet loss on the ffd and reverse directions is sometimes completely independent

Non-zero portions of both the unloaded and the loaded data packet loss rates agree closely with exponential distributions, while that for acks is not so persuasive match.

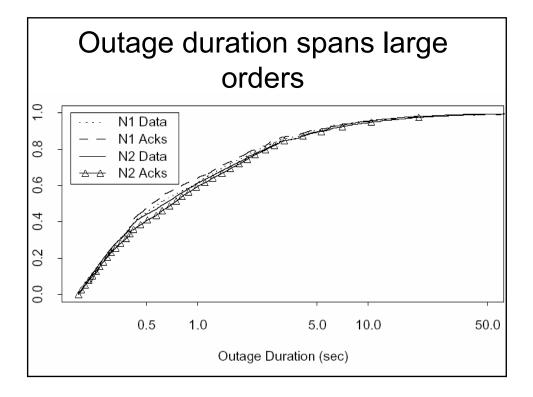


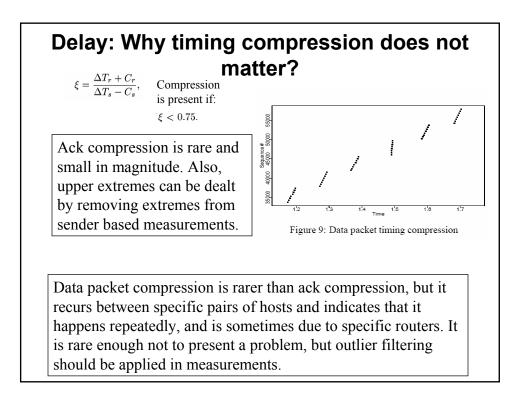


Loss Bursts and Independence				
Type of loss	$P_l^u$		$P_l^c$	
	$\mathcal{N}_1$	$\mathcal{N}_2$	$\mathcal{N}_1$	$\mathcal{N}_2$
Loaded data pkt	2.8%	4.5%	49%	50%
Unloaded data pkt	3.3%	5.3%	20%	25%
Ack	3.2%	4.3%	25%	31%

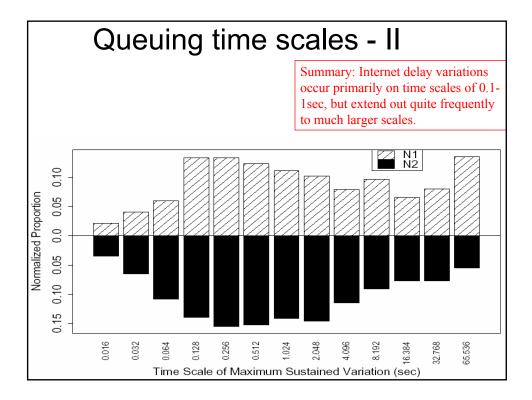
•Loss events are well modeled as independent does not hold.

•If successive packet losses (in bursts) are grouped as *outages*, then the outage duration span several orders of magnitude





# **Delays: Queuing time scales** Are there particular timescales at which most queuing variations occur? Methodology (For OTTs): 1) Sanitize the trace. 2) any time interval t, divide it into two halves. If $N_t < (1/4)N_r$ , or either chunk is zero, discard the interval. Else let $M_t$ and $M_t$ be medians of left and right halves, and $Q_t$ be median of $|M_t - M_r|$ , the interval's queuing variation. For each connection find value of t such that $Q_t$ is greatest. Find the frequency of each t. Normalize by dividing the frequency of t by all t's at least as large as this t. Find the proportion of each t from the numbers that we got in previous process



### Getting Modern

# Data collection Methodology •End-to-End data collection

•Loss measurement by sending probes in network periodically (periods = 20ms, 40ms, 80ms, 160ms).

•Both Unicast and Multicast probes.

### **Trace Sanitization**

•Making sure that the trace segments are stationary, i.e. splitting the traces in 2 hr intervals and checking for stationarity. This is done by using a moving average filter (of window size 2000 packets) to judge the extent of variation.

•Other non-stationary effects (sudden increase in loss rate, slow decays or increase in loss percentages) are observed and those traces are not included in the analysis.

### Analyzing the data

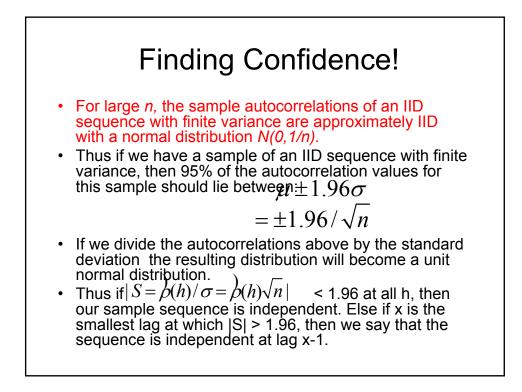
•A packet whose sequence number is not recorded is assumed to be lost.

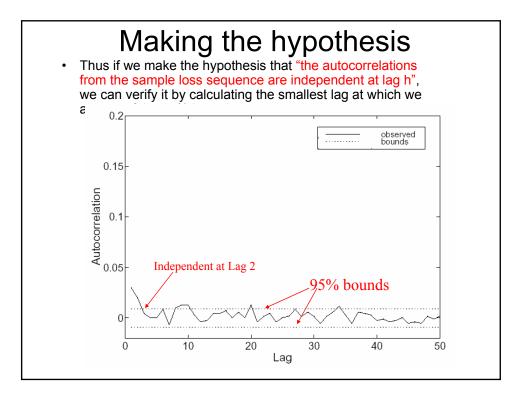
•Under the above assumption, the loss data can be represented as a binary time series

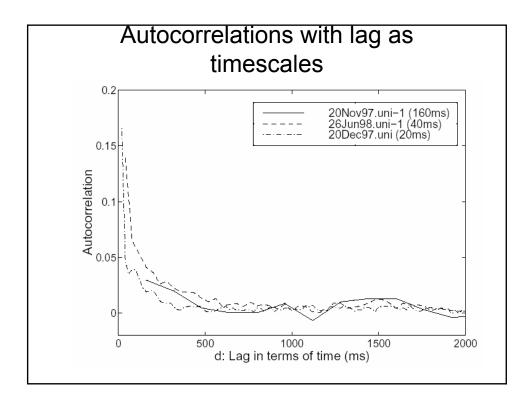
$$\{\boldsymbol{\chi}_i\}_{i=1}^n$$
$$\boldsymbol{\chi}_i = \begin{cases} 1 \text{ if probe } i \text{ is lost} \\ 0 \text{ otherwise} \end{cases}$$

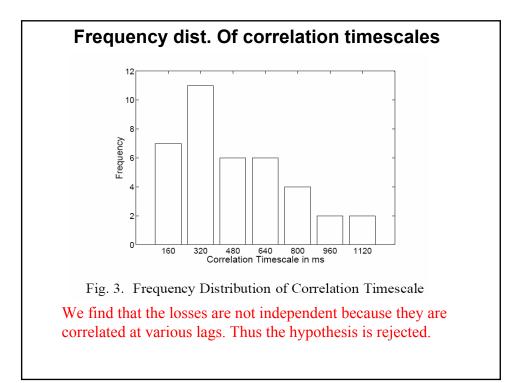
# How to check whether the losses are independent?

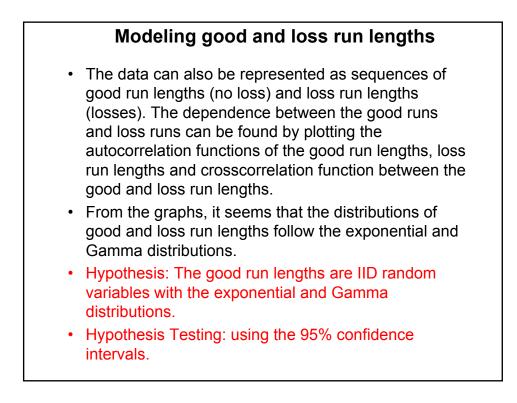
- We should check if the binary time series of the loss data has any dependence.
- To do that we need to learn a little math.
- We know that for an independent process the autocorrelations at all lags are zero. We could try this with our loss data series.
- But since we have only an observed sample sequence, the autocorrelations may not be zero exactly.
- But maybe the autocorrelations of our time series are so small that they are insignificant. Excellent! But we need to check if it really is so. We need to have confidence in its insignificance.

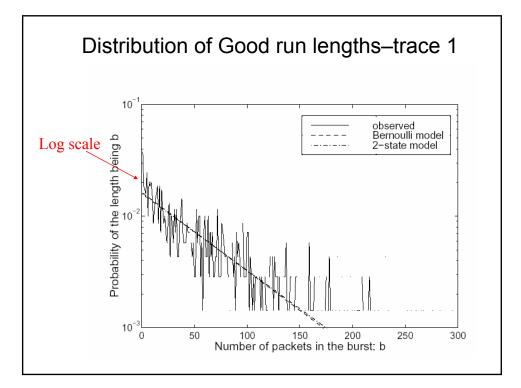


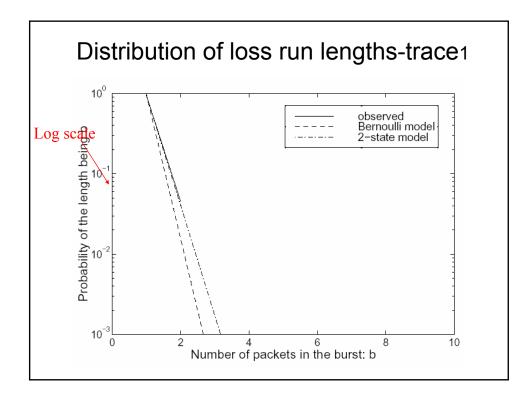












### Hypothesis rejected!

But the hypothesis is rejected:

- 11 out of 33 for exponential distribution
- 2 out of 33 for gamma distribution

# Modeling the data - I Since none of the previous hypothesis held successfully, we try to model the binary time series of losses as Markov chains of increasingly complex orders. Bernoulli Loss Model: It is described by only one parameter, r = p(x(i)) being 1 = n(1)/n where n(1) is the number of times the value 1 occurs in the observed time series. Two state Markov Chain Model: The current state of the stochastic process depends only on the previous value. The maximum likelihood estimators: p=n(01)/n(0), q=n(10)/n(1) Here n(01) is the number of times 1 follows 0 and n(10) is the number of times 0 follows 1, n(1) is the number of ones and n(0) is the number of 0s

### Modeling the Data - II

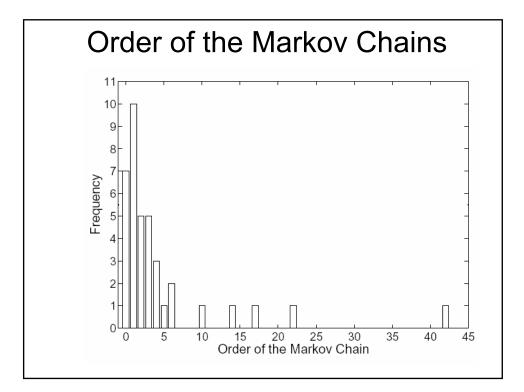
• Kth order Markov chain:

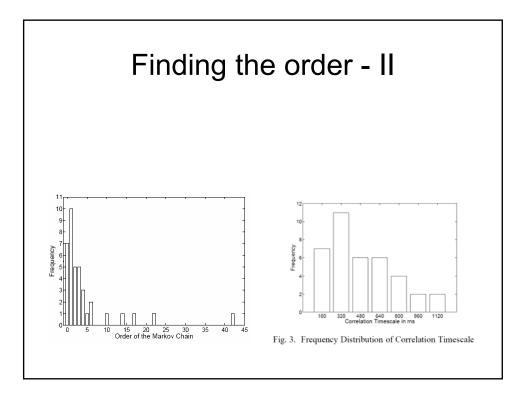
Let  $b = (b_1, b_2, ..., b_k)$  be a given state of the chain and  $n_{ba}$  be the number of times state *b* is follows by value *a* in the sample sequence and  $n_b$  is the number of times state *b* is seen. Then if  $p_{b;a}^k$  be an estimate of the probability that system moves from state *b* to state  $(b_2, ..., b_k, a)$  then the maximum likelihood estimators of the *k*-th order Markov chain are:

 $p_{b,a}^{*} = \{ n_{ba} / n_{b} \text{ if } n_{b} > 0 \text{ and } 0 \text{ otherwise} \}$ 

### Finding the order of the Markov process

- It can be estimated by estimating the minimum lag beyond which the process is independent.
- i.e. Test Hypothesis 1 for lags 1 to 50. Let *I* be the first lag at which the hypothesis is not rejected. Then the estimated order is *I*-1.





## Open issues

- How to actually use this modeling (Markov Chains) in simulations?
- Internet packet loss rates (measured using non-adaptive sampling) vs. loss rates experienced by a transport connection's packets. There might be a link [Pax97]

References	
<ul> <li>Measurement and Modelling of the Temporal De loss Maya Yajnik, Sue Moon, Jim Kurose, Don INFOCOM 99 [Moon99]</li> </ul>	ependence in Packet Towsley IEEE
End-to-End Internet Packet Dynamics (Sigcomr [Pax97]	n 1997) Vern Paxson
The PingER Project: Active Internet Performance HENP Community Warren Matthews and Les C	ce Monitoring for the cottrell [Cottrell]
<ul> <li>Measurement Considerations for assessing union Kimberly C. Claffy, George C. Polyzos and Har [Claffy]</li> </ul>	
<ul> <li>Characterizing End-to-End Packet Delay and Lo (1993)</li> </ul>	
Jean-Chrysostome Bolot Sigcomm 93 [Bolot93	3]
<ul> <li>"Packet-Level Traffic Measurements from the S C. Fraleigh, S. Moon, B. Lyles, C. Cotton, M. Kr Rockell, T. Seely, C. Diot. <i>IEEE Network, 2003.</i></li> </ul>	ian, D. Moll, R. [MoonNetwork03]
<ul> <li>"Measurement and Analysis of Single-Hop Dela Network," K. Papagiannaki, S. Moon, C. Fraleig IEEE JSAC Special Issue on Internet and WWW Mapping, and Modeling, 3rd quarter., 2003. [Mo</li> </ul>	h, P. Thiran, C. Diot. V Measurement,