MPI – Message Passing Interface

- MPI is used for distributed memory parallelism (communication between nodes of a cluster)
- . Interface specification with many implementations
- Portability was a major goal
- Widespread use in parallel scientific computing
- Six basic MPI functions
 - MPI_Init, MPI_Finalize,
 - MPI_Comm_size, MPI_Comm_rank,
 - MPI_Send, MPI_Recv
- Many other functions...

MPI on jinx

- Add to your .bash_profile
- export PATH=\$PATH:/usr/lib64/openmpi/bin
- export LD_LIBRARY_PATH=\$LD_LIBRARY_PATH:/usr/lib64:/usr/lib64/openmpi/lib
- Compile using **mpicc**
- Run using (use full path explicitly if you get "orted" error)
- /usr/lib64/openmpi/bin/mpirun -np 2 progname
- /usr/lib64/openmpi/bin/mpirun -np 2 -hostfile hostfile progname
- For now, best to do the above in an interactive session, but the "right" way is to create a "batch" job and submit the job (using qsub) from the login node.
- <u>https://support.cc.gatech.edu/facilities/instructional-labs/how-to-run-jobs-on-the-jinx-cluster</u>

Essential MPI Topics

Point-to-point communication

- Blocking and nonblocking communication

Collective communication

Blocking Send and Recv

- MPI_Send
 - Function does not return until send buffer can be reused
 - Does not imply the message has been sent
 - Must be assured that the receiver posts a receive call
- MPI_Recv
 - Function does not return until recv buffer contains received message
- Deadlock example (will deadlock if no buffering)

Send(dest=1)Send(dest=0)Recv(dest=1)Recv(dest=0)

Non-blocking Send and Recv

MPI_Isend

- Function returns immediately; the data may be buffered, and the message may not be sent yet
- MPI_Irecv
 - Function returns immediately; the message has not necessarily arrived
- MPI_Wait
 - Block until Isend/Irecv completes (buffer can only be used at this point)
- Allows overlap of communication with computation
- Easier to avoid deadlocks than using blocking calls
- Can combine blocking and non-blocking calls

Irecv/Send Communication Time



Eager and Rendezvous Protocols

- Eager protocol: if the message is short, it is sent immediately and buffered on the receiver's side. On the receiver, the message is copied to the receive buffer when the receive is posted.
- Rendezvous protocol: if the message is long, a short message is first sent to the receiver to indicate that a send has been posted. The receiver sends the address of the receive buffer. The sender then sends the actual message.
- "kink" in previous graph is due to the switchover from eager to rendezvous protocols

Collective Communication

- MPI_Barrier
- MPI_Bcast
- . MPI_Scatter
- . MPI_Gather
- MPI_Allgather
- MPI_Alltoall
- MPI_Reduce
- MPI_Allreduce







P0	A0A1A2A3		A0B0C0D0
P1	B0 B1 B2 B3	Alltoall (personalized)	A1B1C1D1
P2	C0 C1 C2 C3		A2B2C2D2
P3	D0D1D2D3		A3B3C3D3



Implementation of collective operations

- All-gather
- Broadcast
- Reduce-scatter
- Reduce
- All-reduce (sum on all nodes)
- Reference: Thakur, Rabenseifner, and Gropp, "Optimization of Collective Communication Operations in MPICH," 2005

Binomial trees. Log2(p) messages



Model of execution time

- For one message of length n, Time = $\alpha + \beta n$
- Assume a node cannot send multiple messages or receive multiple messages at once
- But a node can send a message and receive a message at the same time
- We will see that different algorithms are best, depending on whether messages are short (latency term dominates) or long (bandwidth term dominates)

Allgather



- Data contributed by each process is gathered onto all processes.
- Each process contributes n/p words
- Recursive doubling tree algorithm (for short messages). P0&P1 exch so both have AB; P2&P3 exch so both have CD. P0&P2 exch so both have ABCD; P1&P3 exch both have ABCD. Time = $\alpha \log p + \beta (p-1)n/p$
- Ring algorithm (for long messages). Time = $\alpha(p-1) + \beta(p-1)n/p$
- It seems that recursive doubling should always be faster, but the ring algorithm can effectively have lower α and β on a torus network

Broadcast

- Broadcast n words among p processes
- Two algorithms, depending on message length:
- 1. Binomial tree algorithm (short messages) time = $(\log p)(\alpha + n\beta)$
- 2. Scatter then allgather (long messages) time = $\alpha(\log p + p 1) + 2\beta(p 1)n/p$ (See next slide)
- For large \boldsymbol{n} , scatter then allgather can be faster

Broadcast: scatter then allgather



- Scatter time: $\alpha \log p + \beta (p-1)n/p$ (recursive halving algorithm)
- Allgather time: $(p-1)\alpha + \beta(p-1)n/p$ (ring algorithm)
- Total time: $\alpha(\log p + p 1) + 2\beta(p 1)n/p$

Reduce-Scatter (variant of reduce)

- Reduction of n items. Then each n/p part is scattered to the p processes.
- Basic algorithm: binomial reduce and then linear scatter
- What is the communication time?

Reduce

- Binomial tree (short messages) time = $(\log p)(\alpha + n\beta)$
- Reduce-scatter then gather (long messages) time = $2\alpha\log p + 2\beta(p-1)n/p$

Allreduce

- Recursive doubling (short messages) time = $(\log p)(\alpha + n\beta)$
- Reduce-scatter then allgather (long messages) time = $2\alpha\log p + 2\beta(p-1)n/p$